An element  $x \in \mathbb{Z}_m$ , where *m* is a positive integer, is called a square if there exists  $y \in \mathbb{Z}_m$  such that  $x \equiv y^2 \mod m$ . Let *p* be an odd prime. Find the number of non-zero squares mod *p*. Justify your answer.

As always, show your work, fully explain and justify your answer. A solution mainly obtained by computers or calculators will not be accepted.

Posting Date 10/23/2020. Submit solutions to Noah Aydin, Mathematics Department, RBH 319 by e-mail or hard-copy by 5 pm on Nov 6, 2020. An email submission must be a single pdf file. Hard copy submissions must be dropped in the file holder at my office door (Hayes 319) and must include a time stamp.